## CoCoA 5

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## To set the record straight

- I'm a computer scientist
- I cannot tell apart
- polynomials and
- quinces

$$
x^{2}+5 x-1
$$



- I have write access to the CoCoA source repository
- If you're not scared, you were not paying attention ©


## Luckily...

- My work and this talk are about the CoCoA programming language
- So far, I haven't done much damage
- At least, that what I'd like to think © $^{-}$
- Key decisions were already made
- Can't get the blame or praise


## Plan of the talk

- Why we need backward incompatibility
- CoCoA 5
- The transition path
- Conclusions


## CoCoA $4 \not \subset$ CoCoA 5

- CoCoA 4 is an incredibly flexible language
- Easy to use!
- Easy to misuse! ©
- As a newbie, I find that
- some constructs have a "funny semantics" (they're probably ok when used properly, but beginners tend to think outside the box () )
- error reporting is rather bad
- CoCoA 5 will be
- still easy to use, but
- way harder to misuse
- The price to pay? It won't be $100 \%$ backward compatible


## An warming-up example

- Two := 2; -- Assignment of an integer
- $L:=[1,2,3]$; -- Assignment of a list
- $2[1,2,3]$;
- $[1,2,3] 2 ; \quad$-- Same here
- 2 L; -- Variables and values can be mixed
- L 2;
- Two L;
- L Two;
- Two [1, 2, 3];
-- and matched as expected
-- Oby sly, yielding the same result
- $[1,2,3]$ Two; -- ...

ERROR: Bad parameters CONTEXT: Two[1][2][3]

## Problem: lack of uniformity

- if operator [] allows accessing the n-th element of a list, why $[\mathbf{2 , 3}, 5][\mathrm{N}]$ doesn't work? Remember: $\mathbf{L}[\mathrm{N}]$ does work
- (quoting from the manual) "For multiplication, one may use *, parentheses, or just a space". Why L [N] doesn't multiply $\mathbf{L}$ and $[\mathbf{N}$ ], yet $[\mathbf{1}, \mathbf{2}, \mathbf{3}] \mathbf{N}$ does multiply them?
- Why $\mathbf{x X}$ is a product but $\mathbf{X x}$ is a single identifier?
- $\mathbf{x 2}$ is a product, so they are $\mathbf{2 x}$ and $\mathbf{2} \mathbf{X}$, yet $\mathbf{X} \mathbf{2}$ is a single identifier


## A peculiar function definition

Define $\mathrm{F}(\mathrm{F})$
If $F(F-1)(F)=o$ Then
Return 1;
Else
Return F(F-1)(F);
Endif
EndDefine;
F:=5;
$-(-1 \quad F) F(F-1) ;$

## I'd like to point out that

- It's the definition of a pretty well-known function
- and an example of using it
- Everything is 100\% legit CoCoA 4 code (that is, I'm not exploiting a bug of the interpreter)
- I do know that no one in their right mind would ever write code like this
- Unless she/he wants to prove a point
- ...and I do ©


## 12 occurrences of F; 3 defs, 9 usages

## Define $F$ ( F )

## If $\mathrm{F}(\mathrm{F}-1)(\mathrm{F})=\mathrm{o}$ Then

## Return 1;

## Else

Return $\mathrm{F}(\mathrm{F}-1)(\mathrm{F})$;

## Endif

EndDefine;
F:=5;
$-(-1 \quad F) F(F-1) ;$

So, in an expression, what does $F$ mean?
Which $F$ is which?

## So similar, yet so different...

Define $\mathrm{F}(\mathrm{F})$
If $\overline{F(F-1)(F)}=0$ Then
Return 1;
Else

$$
\text { Return } F(F-1)(F) ;
$$

## Endif

EndDefine;
F:=5;
$-(-1 \quad F) F(F-1) ;$

Why multiplication is not commutative? Define F(F)
If $F(F-1)(F)=o$ Then
Return 1;
Else
Return F(F-1)(F);
Endif
EndDefine;
F:=5;
$-(-1 \quad F)(F-1) ;$

Anyway, here it is the factorial function:
Define F(F)
If $F(F-1)(F)=o$ Then
Return 1;
Else
Return F(F-1)(F);
Endif
EndDefine;
F:=5;
$-(-1 \quad F) F(F-1) ;-$ as expected, 120 , that is, 5 !

## Bottom line

- CoCoA 4 silently accepts
- dangerous code: every piece of code whose semantics depends on the presence or absence of a blank is a bomb waiting to explode
- suspicious code: does $1 / 2^{*} \mathrm{x}$ mean $(1 / 2)^{*} \mathrm{x}$ or $1 /\left(2^{*} \mathrm{x}\right)$ ?
- CoCoA 5 won't. It will
- reject suspicious constructs (depending on severity, warnings or errors will be issued)
- This helps users to avoid common errors and pitfalls
- have a single namespace for variables, functions and indeterminates (x2, xyz, A42, foo, Bar ... will be valid identifier for any of those)


## Polynomials are special

- $\mathbf{5 x}^{\wedge} \mathbf{2} \mathbf{2} \mathbf{3 x y + 1}$ looks better than $\mathbf{5}^{*} \mathbf{x}^{\wedge} \mathbf{2}+\mathbf{3}^{*} \mathbf{x}^{*} \mathbf{y} \mathbf{+ 1}$
- In $\mathrm{CoCoA}_{5}$ special parentheses allow to use implict multiplication in well-marked regions; for instance, $\mathbf{P}:=\$\left\{\mathbf{5}^{\wedge}{ }^{\wedge} \mathbf{2} \mathbf{3} \mathbf{x y} \mathbf{+ 1}\right\} \mathbf{1} ;--$ might not be the final syntax
- This is an expression-level construct
- Still, not 100\% compatible:
$\mathbf{2 x}$ is equivalent to $\mathbf{x} \mathbf{2}$ in CoCoA 4 ; but $\mathbf{x} \mathbf{2}$ is rejected by CoCoA 5 (does it mean $\mathbf{x}^{*} \mathbf{2}$ or $\mathbf{x}^{\wedge} \mathbf{2}$ ?)


## Interactive input is special too

- A context-sensitive prompt helps the user to understand what's going on
- Is the interpreter waiting for a new command or for a closing quote/comment?
- Line numbers in error reporting are not particularly helpful
- The error recovery strategy can be (and it is) different


## CoCoA 4

## VS

## CoCoA 5



## The transition path

- We're writing a document with the (very original) title: Differences between CoCoA-4 and CoCoA-5
- Today I'll give you the idea
- Details are (or should be there)


## Identifiers and Keywords

- Only one namespace: when you see a name, you know it can only refer to one entity (at a time)
- No special casing
- Reserved words
- are actually reserved
- Most of them are the same they were before
- Case insensitive (yet, there are preferred casing); note that ciao is a single reserved keyword (it's not c*i*a*o)


## Removed features

- Implicit multiplication except inside \$\{ ... \}\$
- Cond expressions
- Time expression (but there is now a Time statement)
- "functions" Print/PrintLn
- the @ operator
- NewLine
- trailing If
- Repeat/EndRepeat
- Help and Eof


## Conclusions

- We can't forget the large user base: a smooth transition path is provided
- Every correct CoCoA 4 program will be either:
- accepted and have the exact same semantics
- rejected (the interpreter will tell you why)
- Restrictions are not artificial: every "clean" CoCoA 4 code should run fine
- Once polynomials (using implicit multiplication) are parenthesized

